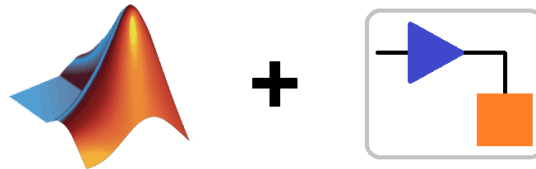




POLYTECHNIC UNIVERSITY OF BARI

**DEI - Department of Electrical and Information
Engineering**

Introduction to Simulink



**MATLAB
SIMULINK®**

**Eng. Domenico Buongiorno
Prof. Vitoantonio Bevilacqua**



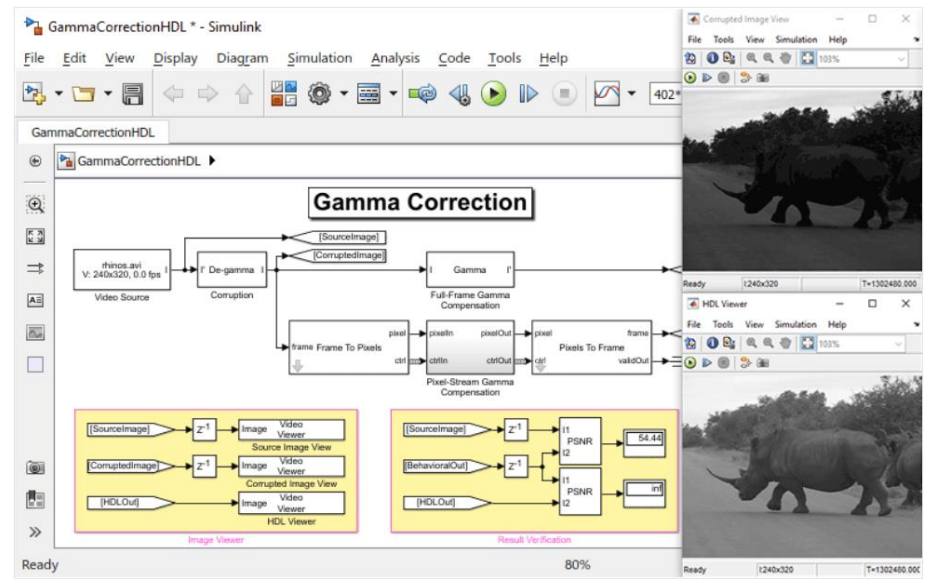
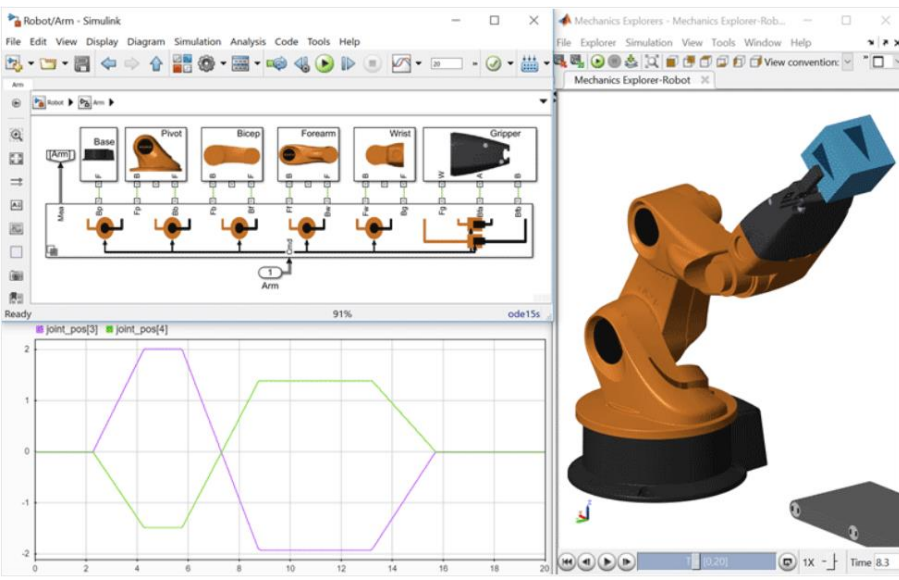
Simulink

- **Simulink** is a graphical programming environment for modeling, simulating and analyzing multidomain dynamical systems.
- Its primary interface is a graphical block diagramming tool and a customizable set of block libraries.
- It offers tight integration with the rest of the MATLAB environment and can either drive MATLAB or be scripted from it.
- Simulink is widely used in automatic control and digital signal processing for multidomain simulation and Model-Based Design.



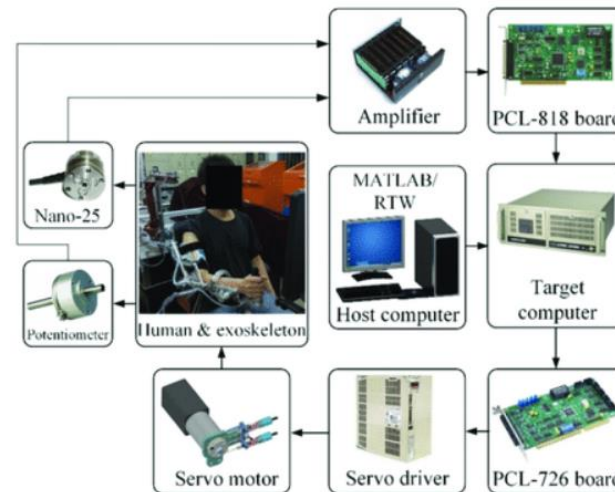
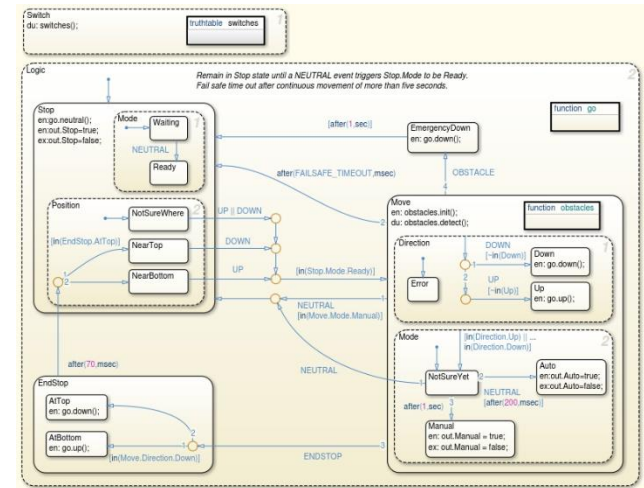
Why Simulink?

- Simulink, makes simulations easier to achieve, by using blocks that correspond to codes you do not see.
- With Simulink, the model of the system you want to simulate is more readable, because it is represented by graphics.
- You can use Matlab to simulate a system, but you have to program your own routines added to the ones that are provided by Matlab.
- Simulink easily allows to simulate hybrid systems that include both continuous and discrete blocks.



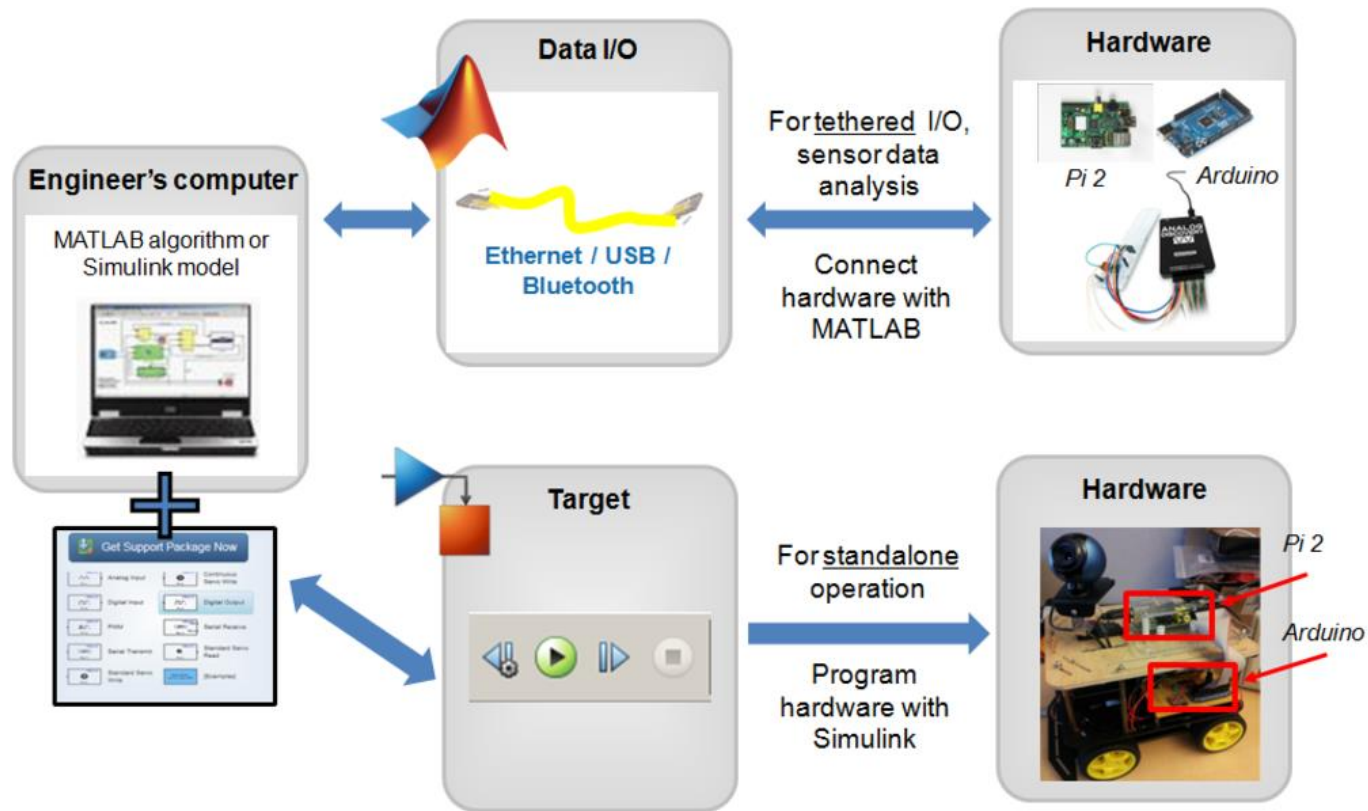
Why Simulink?

- Simulink easily allows to design and simulate complex state machines and flow charts.
- Coupled with another of MathWorks's products, Simulink can automatically generate C source code for real-time implementation of systems.
- Simulink Real-Time (formerly known as xPC Target), together with x86-based real-time systems, is an environment for simulating and testing Simulink and Stateflow models in real-time on the physical system.



Why Simulink?

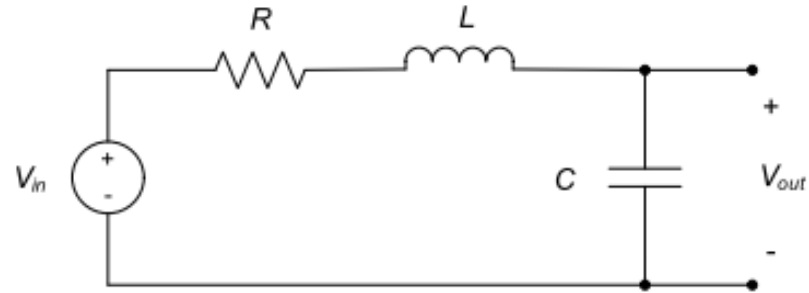
- Simulink also supports specific embedded targets (e.g. Arduino, Raspberry).



RLC Series Circuit: Step Response

$$V_{in}(t) = Ri(t) + L \frac{di(t)}{dt} + V_C(t)$$

$$V_{out}(t) = V_C(t) = \frac{1}{C} \int_0^t i(\tau) d\tau$$



State Variables:

- $X_A(t) = V_C(t)$
- $X_B(t) = i(t)$

Initial state conditions

- $X_A(0) = 0 V$
- $X_B(0) = 0 A$

Electrical parameters:

- $V_{in}(t) = 5 V$
- $R = 2 \Omega$
- $L = 2 H$
- $C = 0.5 F$

RLC Series Circuit: Step Response

$$V_{in}(t) = Ri(t) + L \frac{di(t)}{dt} + V_C(t)$$

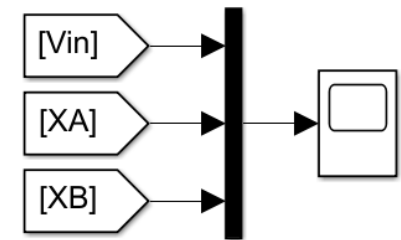
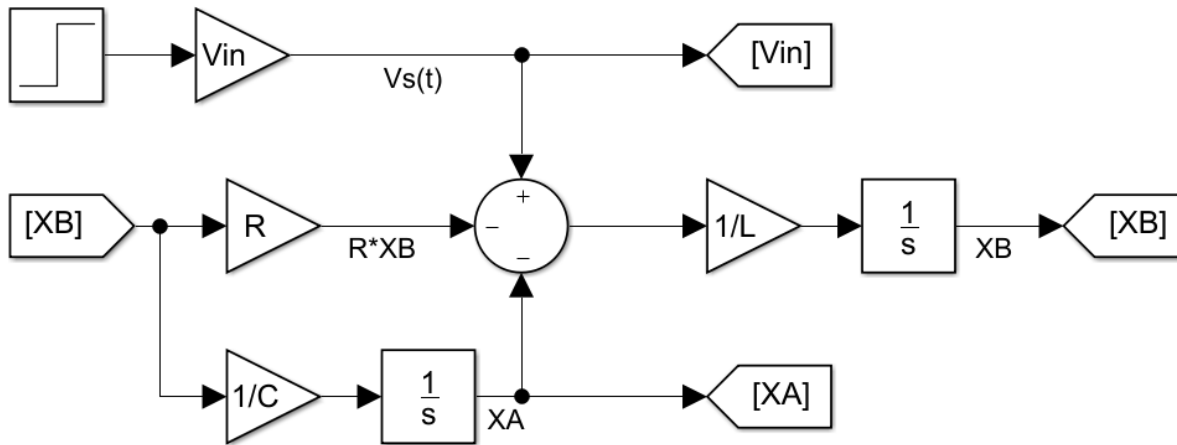
$$V_{out}(t) = V_C(t) = \frac{1}{C} \int_0^t i(\tau) d\tau$$

State Variables:

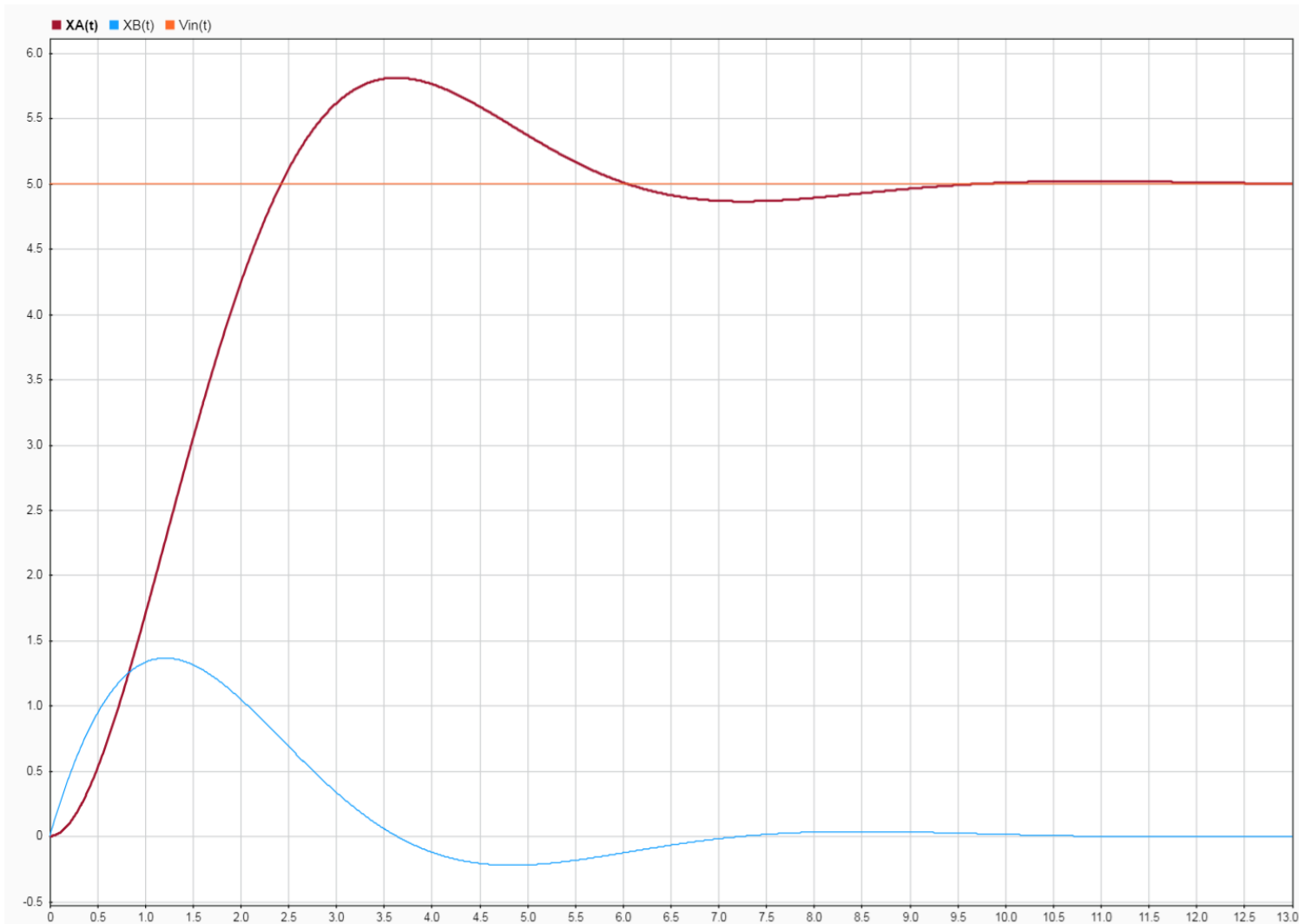
- $X_A(t) = V_C(t)$
- $X_B(t) = i(t)$

$$\dot{X}_A = \frac{1}{C} X_B(t)$$

$$\dot{X}_B(t) = \frac{1}{L} (V_{in}(t) - RX_B(t) - X_A(t))$$



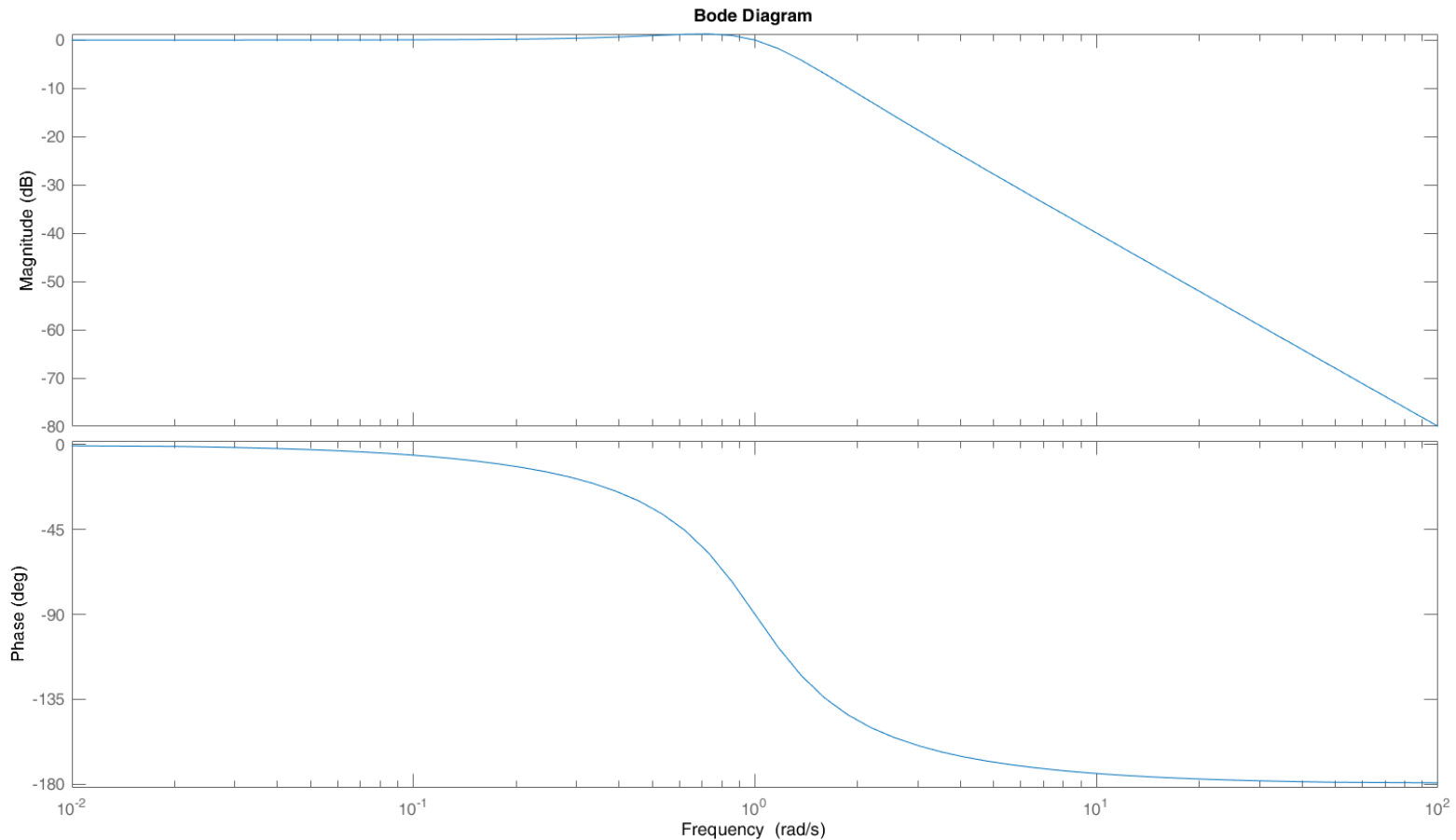
RLC Series Circuit: Step Response



RLC Series Circuit: Bode plot with Matlab

$$G(s) = \frac{V_{out}(s)}{V_{in}(s)} = \frac{1}{LCs^2 + RCs + 1}$$

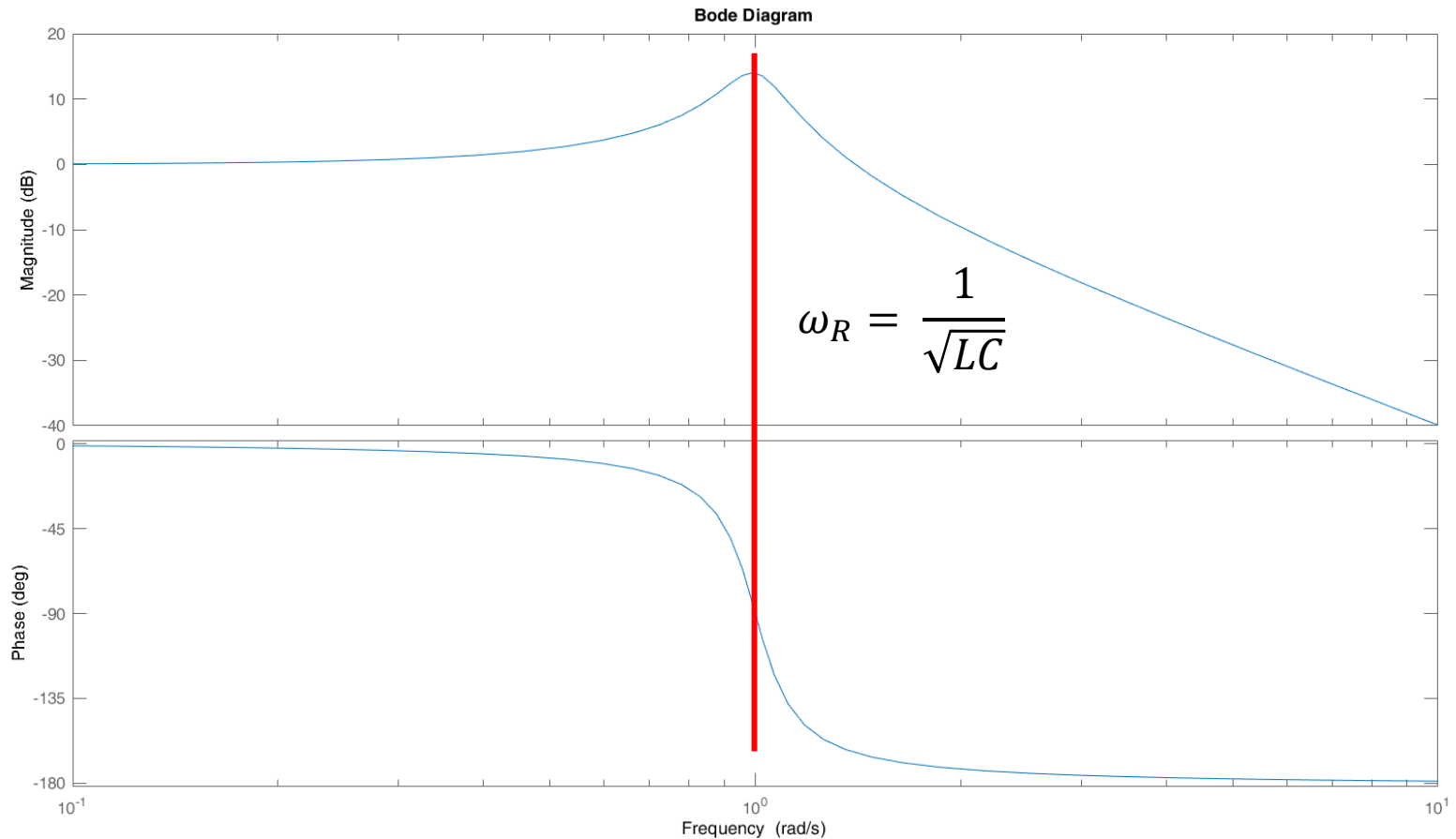
```
>> R = 2; L = 2; C = 0.5;  
>> H = tf([1],[L*C R*C 1]);  
>> bode(H)
```



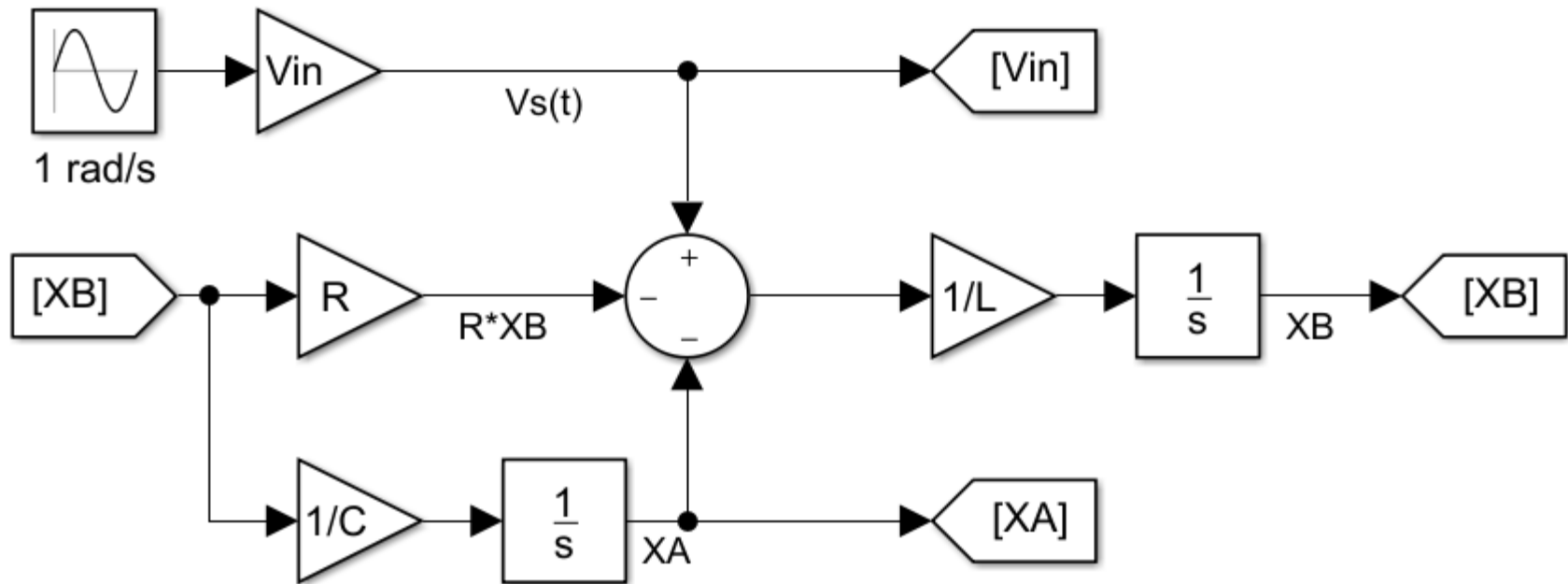
RLC Series Circuit: Resonance

$$G(s) = \frac{V_{out}(s)}{V_{in}(s)} = \frac{1}{LCs^2 + RCs + 1}$$

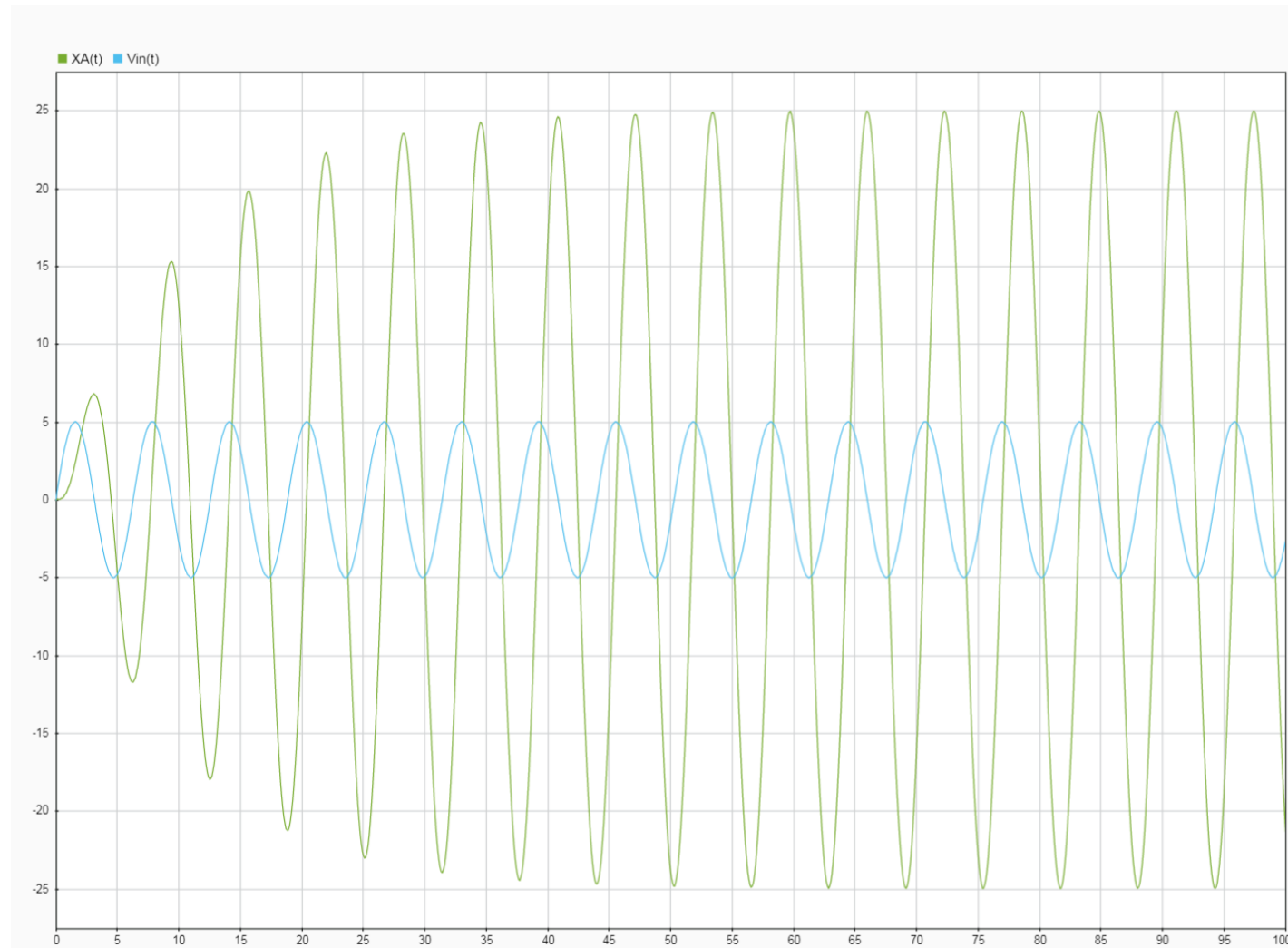
```
>> R = 0.4; L = 2; C = 0.5;  
>> H = tf([1],[L*C R*C 1]);  
>> bode(H)
```



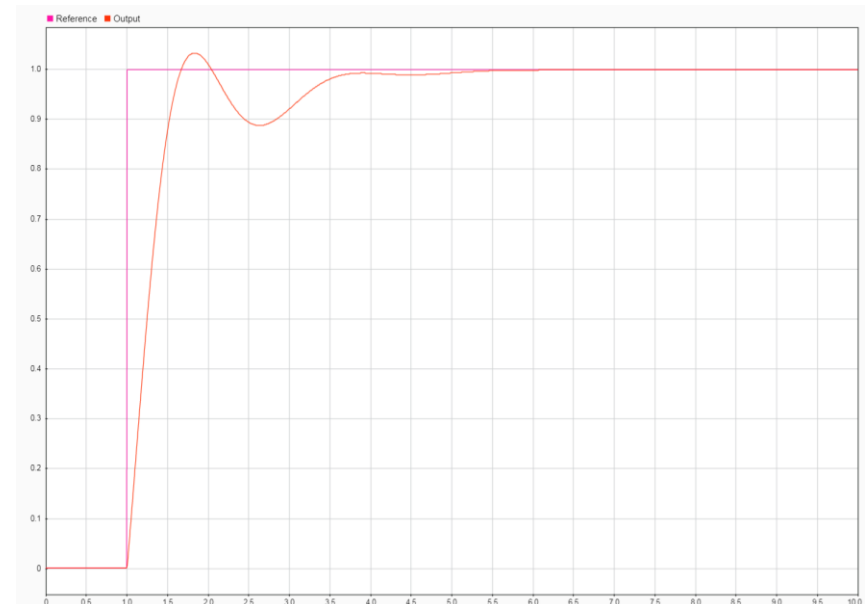
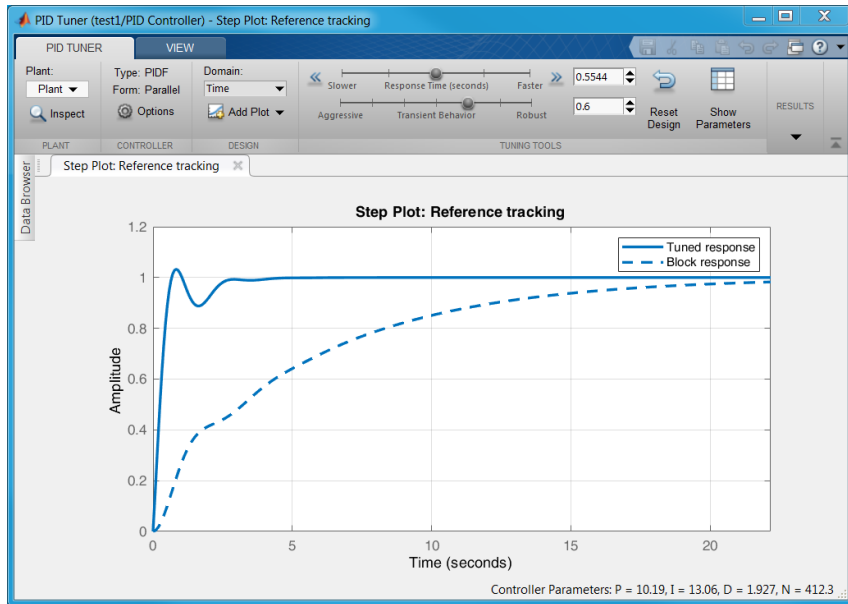
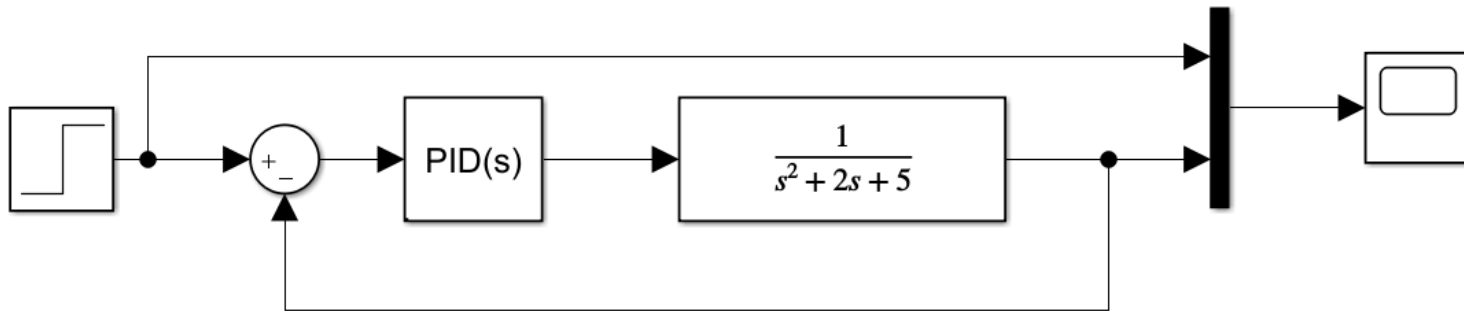
RLC Series Circuit: Resonance



RLC Series Circuit: Resonance



PID Tuning



thank you!

Email: domenico.buongiorno@poliba.it
vitoantonio.bevilacqua@poliba.it